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MANIPAL INSTITUTE OF TECHNOLOGY Manipal University

FIFTH SEMESTER B.TECH (E & C) DEGREE END SEMESTER EXAMINATION NOV/DEC 2015 SUBJECT: CIPHER SYSTEM [ECE 331]

TIME: 3 HOURS

Instructions to candidates

- Answer **ANY FIVE** full questions.
- Missing data may be suitably assumed.
- 1A. The intercepted message was enciphered by affine matrix cipher on digraphs of 26 letter alphabet. The alphabets A-Z have numerical equivalents 0-25. The most frequently occurring digraphs in the ciphertext are '*VM*', '*QS*', '*TH*', which corresponds to plaintext digraphs '*TH*', '*HE*' and '*IN*' in that order. Find the deciphering key and decrypt the message "*WDBTAF*".
- 1B. Find a least non-negative integer which leaves remainder of 12, 87 and 91 when divided by 31, 127 and 255 respectively.
- 1C. $\varphi(4200) = \dots$

(5+4+1)

MAX. MARKS: 50

- 2A. Using S-DES, encrypt the string (11011110) using the key (1101001011). Tabulate the results after each function (IP, F_k , SW, FK, IP⁻¹). Refer the permutation and substitution boxes given in the *Table 2A*.
- 2B. The P(3, 10) is the one of the point on the elliptic curve $E_{23}(1, 1)$. Compute 5P.
- ²C. Prove that "Superencipherment using two affine transformations results in another affine transformation"

(5+4+1)

- 3A. In an RSA system, the public key is {59, 3233}. Find the private key. Encrypt the plaintext "*NONE*". The plaintext blocks are represented by diagraphs and ciphertext are by trigraphs. The alphabets A-Z have numerical equivalents 0-25.
- 3B. Describe the RC5 encryption algorithm in detail.
- 3C. If the index of coincidence is 0.0477 and n = 250, what is the length of the key?

(5+4+1)

4A. The intercepted message {2496, 8099} was encrypted by Hellman-Merkel algorithm with the public key {2106, 880, 1320, 974, 2388, 1617, 1568, 2523, 48, 897}. Given that A - Z corresponds to $(00000)_2 - (11001)_2$ respectively. If the private key is {a, m} = {1053, 2719}, decrypt the message.

4B. For the group $G = \langle Z_7^*, X \rangle$, find the followings: Order of the group, order of each element in the group, number of primitive roots in the group, and primitive roots in the group.

4C. Solution to the congrences is $x^2 \equiv 12 \mod 13$ is

(5+4+1)

- 5A. Describe the key expansion algorithm in AES with block diagram.
- 5B. Find the multiplicative inverse of 0x55 mod 0x11B.
- 5C. Product of 0x25 and $0x21 \mod 0x11B = \dots$

(5+4+1)

- 6A. It is known that the received ciphertext C = 23 was encrypted using Rabin cryptosystem with n = 517. Determine the plaintext.
- 6B. Describe the CMAC message authentication code in detail with necessary block diagram.
- 6C. $21^{-1} \mod 57 = \dots$

(5+4+1)

Key generation	P10	3	5	2	7	4	10	1	9	8	6	P 8	6	3	7	4	8	5	10	9
Encryption function:	IP	2	6	3	1	4	8	5	7			P 4	2	4	3	1				
	E/P	4	1	2	3	2	3	4	1								-			
$s0 = \begin{bmatrix} 1 & 0 & 3 & 2 \\ 3 & 2 & 1 & 0 \\ 0 & 2 & 1 & 3 \\ 3 & 1 & 3 & 2 \end{bmatrix}$									5	s 1 =	= 0 2 3 2	1 0 0 1	2 1 1 0	3 3 0 3						

Table 2A