|  |   | ſ  | Reg. No.   |  |   |                           |                       |        |             |            |
|--|---|--|--|--|---|---------------------------|-----------------------|--------|-------------|------------|
| Manipal Institute of Technology, Manipal (A Constituent Institute of Manipal University)   |   |  |  |  |   |                           |                       |        |             | E IS POWER |
| VII SEM. B.TECH. (MECH. ENGG.) MAKE-UP EXAMINATIONS, DEC 2015<br>SUBJECT: MECHANICAL VIBRATIONS [MME-403]<br>(REVISED CREDIT SYSTEM)   |   |  |  |  |   |                           |                       |        |             |            |
|  | * *   | <b>Instruction</b><br>Answer <b>ANY</b><br>Additional dat<br>Assumptions r<br>Sketches are to                            | <b>ons to Cand</b><br><b>FIVE FUL</b><br>a, if any, m<br>nade must b<br>b be drawn | lidate<br>L que<br>ay be<br>be clea<br>where | s:<br>stions.<br>approp<br>urly me<br>ver nee | oriate<br>ention<br>cessa | ly ass<br>ned.<br>ry. | sumed. |             | 50         |
| <ul> <li>1A) Derive an expression to determine natural frequency of a pendulum, taking into consideration the mass of the pendulum rod.</li> <li>1B) By Holzer's method determine the length </li> </ul> |   |  |  |  |   |                           |                       |        |             |            |
| 1D)  | L of the shaft, shown<br>that it's fundamental<br>200 rad/s.<br>Use the values, $k_t = 3 \times$<br>$J_1 = 100 \text{ kgm}^2$<br>$J_3 = 50 \text{ kgm}^2$ | in Fig. (Q1B), g<br>natural frequen<br>$10^{6}$ Nm/rad<br>$J_{2} = 80$ kgm <sup>2</sup><br>$J_{4} = 10$ kgm <sup>2</sup> | given<br>cy is   | )<br>k                                       | $b_{k_i}$                                     |                           |                       |        | <b>&gt;</b> |            |



 $J_2$ 

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- 2A) Derive the equation of motion of a viscous damped spring-mass system. Obtain its solution if the system is critically damped. Also define (i) Critical Damping Coefficient and (ii) Damping Ratio
- 2B) In a refrigeration plant, a section of pipe carrying the refrigerant vibrates violently at a compressor speed of 500 rpm. To eliminate this difficulty, it was proposed to clamp a cantilever spring mass system to the pipe to act as an absorber. For a trial test, a 2 kg absorber tuned to 500 rpm, resulted in two natural frequencies of 450 and 555.6 cpm.
  - (i) Determine the mass and stiffness of the main system.
  - (ii) If the absorber system is to be designed so that the natural frequencies lie outside the region 430 and 581.4 cpm, determine the mass and stiffness of the absorber system.
- Derive an expression to determine the steady state amplitude of vibration of an 05 3A) IC engine due to the reciprocating unbalanced force excitation.

G = 80 GPa

Shaft diameter = 70 mm.

- 3B) A horizontal spring-mass system consists of a single spring and a single mass of 40 kg. The mass slides horizontally on a dry surface whose coefficient of friction is 0.25. The mass makes 6 oscillations in 1 second when allowed to oscillate over the dry surface. If the mass is pulled 27 mm to the left side of its mean position and allowed to oscillate freely, find
  - (i) Stiffness of the spring.
  - (ii) The final rest position of the mass.
  - (iii) The number of half cycles required to bring the mass to rest position.
- 4A) Define *Flexibility/Displacement Influence Coefficient*. State and prove the Maxwell's Reciprocal Theorem.
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- 4B) A single cylinder vertical petrol engine of total mass 500 kg is mounted upon a steel chassis frame and causes a vertical static deflection of 3 mm. The reciprocating parts of the engine have a mass of 6 kg and move through a vertical stroke of 150 mm with simple harmonic motion. A dashpot is provided, the damping resistance of which is directly proportional to the velocity and amounts to 30 kN at 1.5 m/s. If a steady state vibration has been reached, determine,
  - (i) The amplitude of forced vibrations when the driving shaft of the engine rotates at 800 rpm.
  - (ii) The maximum dynamic force transmitted to the ground.
  - (iii)The speed of the driving shaft (in rpm) at which resonance will occur
- 5A) For the system shown in Fig. (Q5A), find the two natural frequencies of the system. State whether it is a semi-definite system. Justify your answer.



Fig. (Q5A)

- 5B) A disc of mass 6 kg is mounted on a shaft mid-way between short bearings, which may be assumed to be simple supports. The bearing span is 600 mm. The steel shaft is horizontal and is 8 mm in diameter. The center of gravity of the disc is displaced 3 mm from its geometric center. The equivalent viscous damping coefficient at the center of disc-shaft arrangement is 60 Ns/m. If the shaft rotates at 1000 rpm, determine
  - (i) The dynamic load on bearings.
  - (ii) The bending stress acting on the shaft.
  - (iii) The power required to overcome the damping in the system.
  - Take modulus of elasticity for shaft material = 200 GPa.

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6A) Determine the flexibility/displacement influence coefficients of the triple pendulum shown in Fig. (Q6A).



- 6B) The shaft-disc arrangement shown in Fig. (Q6B) undergoes small amplitude-torsional vibrations. The mass moment of inertia of the disc is 2 kgm<sup>2</sup>. The modulus of rigidity for the shaft material is 80 GPa.
  - (i) Find the equivalent torsional stiffness of the system.
  - (ii) Determine the natural frequency of torsional vibrations, neglecting the inertia effect of the shaft.



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