



**FIFTH SEMESTER B.TECH (E & C) DEGREE END SEMESTER
EXAMINATION - NOV/DEC 2016
SUBJECT: DIGITAL SIGNAL PROCESSING (ECE - 303)**

TIME: 3 HOURS**MAX. MARKS: 50****Instructions to candidates**

- Answer **ANY FIVE** full questions.
- Missing data may be suitably assumed.

- 1A. Define unilateral z-transform. Using unilateral z-transform, compute $y(n)$ for $n \geq 0$ for $y(n) - y(n-1) - y(n-2) = 0$; $y(-1) = 0$ and $y(-2) = 1$
- 1B. Impulse response of certain causal LTI system is $h[n] = \left\{ \frac{1}{4}, 1 \right\}$. Determine the response of the system for the periodic input $x[n] = 5 - 2\cos\left(\frac{\pi}{2}n\right) + 10\sin\left(\frac{3\pi}{2}n\right)$.
- 1C. Draw the magnitude response and z-domain pole-zero plot for the system $h(n) = 2\delta(n+1) + \delta(n) + 2\delta(n-1)$
(5+3+2)
- 2A. Derive radix-2 DIT FFT algorithm. Illustrate with signal flow diagram.
- 2B. For a given real sequence $x(n) = \delta(n+1) + 2\delta(n) + \delta(n-1)$. Compute the sequence $y(n)$ if $Y(K) = X^2(K)$, where $X(K)$ is the 4 point DFT of $x(n)$.
- 2C. State periodicity and circular convolution property of DFT.
(5+3+2)
- 3A. With relevant mathematical analysis, describe overlap-add method of linear filtering through DFT-IDFT calculations.
- 3B. Deduce second order Goertzel filter for the computation of N-point DFT.
- 3C. Define group delay. What is the group delay for N-length linear phase FIR filter?
(5+3+2)
- 4A. Using bilinear transformation method, design third order digital Butterworth Low pass filter. The filter has 3-dB frequency of 500 Hz at sampling frequency of 5000 Hz.
- 4B. Explain impulse invariant method of digitising analog filter.
- 4C. Suggest the location of zeros of system function $H(z)$ for a notch filter to suppress 100Hz signal. Assume sampling frequency of 1kHz.
(5+3+2)
- 5A. Compute the coefficients of 11-length digital linear phase FIR high-pass filter with cut-off frequency of 1kHz at sampling frequency of 5kHz. Use causal Hamming window.
- 5B. For N-length FIR filter having impulse response $h[n]$, prove that the system function $H(z) = (1 - z^{-N}) \sum_{k=0}^{N-1} \frac{H[k]/N}{1 - e^{j\frac{2\pi k}{N}} z^{-1}}$ where $H(K)$ are the DFT coefficients of $h(n)$.
- 5C. Mention the basic building blocks for implementing digital filter system function.

(5+3+2)

6A. Realise the following IIR filter using direct forms 1 and 2 and cascade structures.

$$H(z) = \frac{(1 + 2z^{-1})}{(1 - 0.25z^{-1})(1 - 2z^{-1} + 3z^{-2})}$$

6B. Describe Welch method of PSD estimation.

6C. Bring out two major differences between parametric and non- parametric methods of PSD estimation.

(5+3+2)