

IV SEMESTER B.TECH. (COMPUTER ENGINEERING)

END SEMESTER EXAMINATIONS, MAY/JUNE 2017

SUBJECT: FORMAL LANGUAGES AND AUTOMATA THEORY

[CSE 2202]

REVISED CREDIT SYSTEM

Time: 3 Hours

MAX. MARKS: 50

Instructions to Candidates:

- ❖ Answer **ALL** the questions.
- ❖ Missing data may be suitable assumed.

1A.	Design Deterministic Finite Automata for binary adder, dealing only with positive integers. Consider Carry and No Carry as two states.	2
1B.	Give dfa's for the language $L = \{ w : n_a(w) \bmod 2 > n_b(w) \bmod 3 \}$	4
1C.	Find the minimal DFA for the language $L = \{ a^n b^n : n \geq 0, n \neq 4 \}$	4
2A.	Write the left linear grammar for expression $S \rightarrow S10/S11/B/\lambda, B \rightarrow B0/0$	2
2B.	Test the following grammar is ambiguous or not $S \rightarrow AB/aaB, S \rightarrow a/Aa, B \rightarrow b$ If it is ambiguous construct an equivalent unambiguous grammar.	3
2C.	Find Dfa's that accepts: (i) $L = (ab(a+ab)^*(a+aa))$ (ii) $L = L(ab^*a^*) \cap L((ab)^*ba)$	5
3A.	Remove all unit productions, useless productions and λ -productions from the given grammar. $S \rightarrow aA/aBB, A \rightarrow aaA/\lambda, B \rightarrow bB/bbC, C \rightarrow B$	3
3B.	Find the regular expression for $L = \{ a^n b^m : n \geq 4, m \leq 3 \}$	3
3C.	Show that the given language $L = \{ a^n b^j : n \leq j^2 \}$ on $\Sigma = \{a,b\}$ is not context free.	4
4A.	Find an npda with no more than two internal states that accepts the language $L(aa^*ba^*)$	2
4B.	Construct an npda corresponding to the grammar, $S \rightarrow aABB / aAA, A \rightarrow aBB/A, B \rightarrow bBB/A$.	4
4C.	Design a Turing Machine that copies strings of 1's such that $L = \{ ww : w \in 1^* \}$.	4
5A.	What is recursive and recursively enumerable language? Show that the set of all languages that are not recursively enumerable is not countable.	3
5B.	Define multidimensional Turing Machine, With neat diagram. Then Show that such a machine can be simulated by a Standard Turing Machine.	3
5C.	Let $G = (\{A,B,C\}, \{a,b,c\}, S, P)$ with productions $s \rightarrow aABb/Bbb, Bb \rightarrow C, AC \rightarrow aac$ and take $w = aaac$. Then show how the derivation of w is paralleled by an Modified Post correspondence problem.	4