



MANIPAL INSTITUTE OF TECHNOLOGY

A Constituent Institution of Manipal University

VI SEMESTER B.TECH. (AUTOMOBILE ENGINEERING) END SEMESTER EXAMINATIONS, APRIL/MAY 2017 SUBJECT: FINITE ELEMENT METHOD (AAE-3202)

REVISED CREDIT SYSTEM 25/04/2017

Time: 3 Hours

MAX. MARKS: 50

Instructions to Candidates:

- ✤ Answer ALL the questions.
- ✤ Missing data may be suitable assumed.
- **1A.** For the spring assemblages shown in Figures 1, determine the nodal **(05)** displacements, the forces in each element.





1B. For the bar assemblages shown in Figure 2, determine the nodal **(05)** displacements and global reaction.



Figure 2

2A. For the bar and spring assemblage shown in Figure 3, determine the nodal (05) displacements and global reaction.



2B. Using the direct stiffness method, solve the problem for nodal displacements (05) and slopes of the propped cantilever beam subjected to end load *P* in Figure 4. The beam is assumed to have constant EI and length 2L. It is supported by a roller at mid length and is built in at the right end.



Figure 4

3A The Figure 5 shows a two-member plane truss supported by a linearly elastic (06) spring. The truss members are of a solid circular cross section having d = 20 mm and E = 80 GPa. The linear spring has stiffness constant 50 N/mm. Assemble the system global stiffness matrix and calculate the global displacements of the unconstrained node.



Figure 5

- **3B** Compute the reaction forces in each element for the problem 3A. (04)
- **4A** For the beam variable load distribution shown in Figure 6, determine the **(06)** nodal displacements and slopes.



Equivalent nodal force diagram

- **4B** For the above problem 4A, determine the forces in each element. **(04)**
- **5A** Evaluate the stiffness matrix for the plane strain elements shown in Figure 7. **(05)** The coordinates are given in units of inch. $E = 30X10^6$ psi and v= 0.25.



Figure 7

5B For the above problem 5A. The nodal displacements are given as (05) $u_1 = 0.001$ in, $v_1 = 0.005$ in, $u_2 = 0.001$ in, $v_2 = 0.0025$ in, $u_3 = 0.0$ in, $v_3 = 0.0$ in. Determine the element stresses σ_x , σ_y , τ_{xy} and σ_1 , σ_2 , and the principal angle θ_p . Use unit thickness for plane strain.