



VI SEMESTER B.TECH. (COMPUTER SCIENCE AND ENGINEERING)
MAKE-UP EXAMINATIONS, JUNE/JULY 2017
SUBJECT: PE-III - MACHINE LEARNING (CSE 4010)
REVISED CREDIT SYSTEM
(22/06/2017)

Time: 3 Hours

MAX. MARKS: 50

Instructions to Candidates:

- ❖ Answer **ALL** the questions.
- ❖ Missing data may be suitably assumed.

- 1A. Explain supervised, and unsupervised learning with respect to classification and clustering. 2
- 1B. Explain the steps involved in character recognition. 3
- 1C. Justifying the convergence condition of k-means clustering, explain the procedure of forming clusters 5
- 2A. Consider the belief network given in **Fig 2A**. Representing causal relationship of five random variables Burglary (B), Earthquake (E), Alarm (A), John's Call (J), and the Mary's call (M). Given the conditional probability table
- (i) Find the probability of John calls= yes.
- (ii) find the probability that Burglary = yes given that John calls = yes.

 $\{B_0 = no, B_1 = yes\}$

P(B)	
P(B ₀)	P(B ₁)
0.99	0.01

 $\{E_0 = no, E_1 = yes\}$

P(E)	
E ₀	E ₁
0.98	0.02

 $\{A_0 = no, A_1 = yes\}$

P(A B, E)		
	P(A ₀ B, E)	P(A ₁ B, E)
B ₀ , E ₀	0.95	0.05
B ₀ , E ₁	0.94	0.06
B ₁ , E ₀	0.29	0.71
B ₁ , E ₁	0.001	0.999

 $\{J_0 = no, J_1 = yes\}$

P(J A)		
	J ₀	J ₁
A ₀	0.9	0.1
A ₁	0.05	0.95

 $\{M_0 = no, M_1 = yes\}$

P(M A)		
	M ₀	M ₁
A ₀	0.7	0.3
A ₁	0.01	0.99

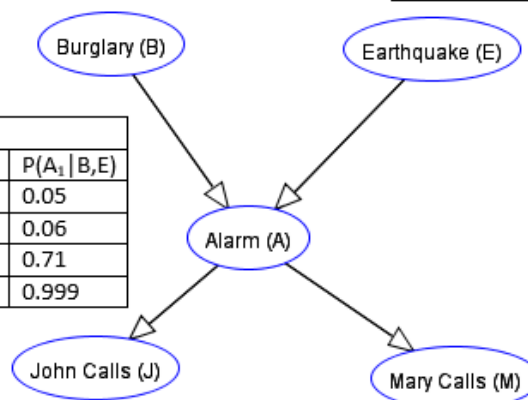


Fig 2A

- 2B. Explain zero-one loss function for classifying data into two classes. 3
- 2C. Derive the Fisher Linear Discriminant function for the two-class case. 4
- 3A. Perform K-NN classification of test data $(-1.5, 0.5)$, with $K=4$, using the training data, $X=\{x^t, r^t\}$ for $1 \leq t \leq 12$, in **Table 3A**. Use Euclidean distance measure.

x_1	x_2	R
3.15	-2.80	1
0.95	-1.88	1
3.31	-0.45	1
-3.78	-4.40	0
-0.25	-3.14	0
0.39	-1.04	0
-3.14	-2.93	0
1.23	-1.36	1
1.83	-2.0	0
-3.94	-0.51	1
0.91	-1.56	0
-1.55	-1.68	0

Table. 3A

- 3B. What are rough sets? Explain with an example. 3
- 3C. Consider a set $P=\{P_1, P_2, P_3, P_4\}$ of four varieties of paddy plants, set $D=\{D_1, D_2, D_3, D_4\}$ of the various disease affecting the plants and $S=\{S_1, S_2, S_3, S_4\}$ be the common symptoms of the disease. Let \tilde{R} be the relation on $P \times D$ and \tilde{S} be a relation on $D \times S$ For

$$\tilde{R} = \begin{matrix} & D_1 & D_2 & D_3 & D_4 \\ \begin{matrix} P_1 \\ P_2 \\ P_3 \\ P_4 \end{matrix} & \begin{bmatrix} 0.6 & 0.6 & 0.9 & 0.8 \\ 0.1 & 0.2 & 0.9 & 0.8 \\ 0.9 & 0.3 & 0.4 & 0.8 \\ 0.9 & 0.8 & 0.1 & 0.2 \end{bmatrix} \end{matrix} \quad \tilde{S} = \begin{matrix} & S_1 & S_2 & S_3 & S_4 \\ \begin{matrix} D_1 \\ D_2 \\ D_3 \\ D_4 \end{matrix} & \begin{bmatrix} 0.1 & 0.2 & 0.7 & 0.9 \\ 1 & 1 & 0.4 & 0.6 \\ 0 & 0 & 0.5 & 0.9 \\ 0.9 & 1 & 0.8 & 0.2 \end{bmatrix} \end{matrix}$$

- Obtain the association of the plants with the different symptoms of the diseases using max-min composition. 4
- 4A. Explain the concept of principal component analysis with a general example. 4
- 4B. Obtain the expression for change in weight of a neuron j in the output layer using back propagation algorithm. 4
- 4C. Explain Rosenblatt's model of perceptron with a neat diagram 2
- 5A. Explain Naïve Bayes classifier with a suitable example. 5
- 5B. Explain support vector machine for linearly separable case. 3
- 5C. Differentiate between Agglomerative and Divisive clustering 2