



## VI SEMESTER B.TECH END SEMESTER EXAMINATIONS, APR/MAY 2017

### OPEN ELECTIVE - II

SUBJECT: INTRODUCTION TO QUALITY CONTROL [MME 3289]

### REVISED CREDIT SYSTEM

Time: 3 Hours

MAX. MARKS: 50

#### Instructions to Candidates:

- ❖ Answer **ALL** the questions.
- ❖ Missing data may be suitably assumed.
- ❖ Use of SQC tables permitted.

**1A.** Explain the effect of common causes and special causes on a process. **(02)**

**1B.** Write a note on the graphical representation methods of frequency distribution. **(03)**

**1C.** Calculate mean, standard deviation, median and mode for the following frequency distribution:

Characteristic value	24.75	24.95	25.15	25.35	25.55	25.75
Frequency	2	8	14	18	7	1

**(05)**

**2A.** Explain the Appraisal costs with regard to cost of quality. **(02)**

**2B.** List the steps involved in the construction of for  $\bar{X}$  and  $R$  charts. **(03)**

**2C.** A certain process with a standard deviation of 0.001mm has been statistically controlled at a mean of 0.036 mm. The product is currently sold to a user. The user specifications are  $0.038 \pm 0.004$  mm.

(i) Assuming a normal distribution of the product what percentage of product meets the specifications?

(ii) If the process centering shifts to  $\mu$  of 0.037, what is the probability of detecting the shift?

(iii) What is the percentage of nonconforming product results due to the shift  
In the process entering described in part (ii)? **(05)**

- 3A.** What is meant by  $\alpha$  error? How it can be minimized? **(02)**
- 3B.** Write a note on  $p$  and  $np$  charts. **(03)**
- 3C.** A control chart for  $np$  is run on batches of a certain item purchased regularly from an outside source. Each batch of 200 units is subjected to a 100% inspection as it is received. An estimate of  $\mu_p$  from the most recent 30 batches received is 0.014.
- (i) Calculate control limits for the  $np$  chart.
- (ii) Use Poisson distribution table to find the approximate probability that, if batches should come into receiving at an average  $\mu_p$  of 0.03, this fact would be detected on the first batch inspected. **(05)**
- 4A.** Explain the control chart for nonconformities per multiple units. **(02)**
- 4B.** Write a note on OC curve. **(03)**
- 4C.** The following table gives the number of defects found in 25 subgroups of certain product at final inspection:

Subgroup no.	No. of defects	Subgroup no.	No. of defects
1	8	14	25
2	16	15	15
3	14	16	9
4	19	17	9
5	11	18	14
6	15	19	11
7	8	20	9
8	11	21	10
9	21	22	22
10	12	23	7
11	23	24	28
12	16	25	9
13	9		

Determine the central line and trial control limits for a  $c$  chart. What value of  $c_0$  and control limits would you suggest for the subsequent period? **(05)**

- 5A.** Explain  $\alpha$  risk and  $\beta$  risk. (02)
- 5B.** Two parts A and B are received in an assembly operation where each part is permanently attached to the other. If the combined width of the parts does not meet the required specification of  $10.000 \pm 0.020$  inch, the assembled product must be scrapped. The width of part A is normally distributed with  $\mu$  of 3.000 inch and  $\sigma$  of 0.004 inch. The width of part B is also normally distributed with  $\mu$  of 7.000 inch and  $\sigma$  of 0.006 inch. Assembly is at random. Determine the percentage of the assembled product that will have to be scrapped. (04)
- 5C.** A double sampling plan is  $n_1 = 32$ ,  $c_1 = 0$ ,  $n_2 = 38$ ,  $c_2 = 2$ . Compute the probability of acceptance of a 2.0% defective lot. Assume lot size is large in comparison with sample size. (04)