



SEVENTH SEMESTER B.Tech. (E & C) DEGREE END SEMESTER EXAMINATION

NOV/DEC 2017

SUBJECT: SOFT COMPUTING TECHNIQUES (ECE - 425)

TIME: 3 HOURS

MAX. MARKS: 50

Instructions to candidates

- Answer **ANY FIVE** questions.
- Missing data may be suitably assumed.

- 1A. Explain with illustration how XOR classification is performed using multilayer perceptron neural network with bipolar discrete neurons
- 1B. Design a Hopfield auto associative memory to store $S_1 = [-1 \ -1 \ -1]^t$. Test the retrieval by applying a test vector $S_{\text{test}} = [1 \ -1 \ 1]^t$ using async update and find the energy after each iteration. Comment on your results.
- 1C. Design a linear discriminant classifier to perform logical OR classification

(5+3+2)

- 2A. Perform single step back propagation algorithm to simulate a non-linear function $y = \sin z$. The input $z = 90$. and the augmented input is -1 . Assume linear neurons in both layers. The initial weights for the first layer is $V^t = \begin{bmatrix} 1 & 0.5 \\ 0 & -1 \end{bmatrix}$ and for the second layer $W^t = \begin{bmatrix} 1 & 1 & -1 \end{bmatrix}$. Assume $\eta = \lambda = 1$.

- 2B. Design a bidirectional associative memory to store the following pairs of patterns:
 $[1 \ -1 \ 1] \rightarrow [-1 \ -1]^t$ and $[1 \ 1 \ -1] \rightarrow [1 \ 1]^t$ and test the performance.

- 2C. Draw McCulloch Pitt neuron model for NAND logic

(5+3+2)

- 3A. The initial weight matrix of a Kohonen's feature map is given by:

$$W^t = \begin{bmatrix} -0.5 & 1 & 0 \\ 1 & 2 & 3 \\ 0 & 1 & 0 \end{bmatrix}$$

Perform single step training for the input $[1 \ 0.05 \ 0.4]$. Use correlation metric for winner selection. Assume $\alpha=1$, $R=0$.

- 3B. A linear classifier is to be trained to assign $x_1=-1$ and $x_2=1$ to class 1 & 2 respectively. Display the movement of weight vector on the weight plane starting from the initial weights of $[0 \ 1]^t$ and perform iteration for 4 steps only. Use $c=1$ and bias input $= -1$.

- 3C. A feed forward network consists of 1 hidden layer and 1 output layer. The input vector is

$$X = [x_1 \ x_2 \ -1]^t \text{ and the weight matrices for both the layers are given by } W_1^t = \begin{bmatrix} 1 & -1 & 0 \\ 0 & 2 & 3 \\ 0 & -2 & 1 \end{bmatrix}$$

$W_2^t = [1 \ 1 \ 1 \ 2.5]$ respectively. Find the regions of classification for which the network output responds with $+1$ and its complement with -1 .

(5+3+2)

4A. Draw the flowchart for function optimization using Genetic Algorithm. Find the maximum value of the function $f(x) = 2x - 1$, $0 \leq x \leq 3$, using Genetic algorithm with the initial population as 1101, 1011, 1100, 0110. Comment on your answer.

4B. Consider the following fuzzy relation defined on $U_1 \times U_2 \times U_3 \times U_4$ where $U_1 = \{a, b, c\}$ $U_2 = \{s, t\}$ $U_3 = \{x, y\}$ & $U_4 = \{i, j\}$:

$$Q = 0.7/b, t, y, i + 0.1/a, s, x, i + 0.1/b, s, y, i + 0.9/b, s, y, j + 0.5/a, t, y, j + 0.6/c, s, y, i$$

i) Compute the projections of Q on U_1

ii) Compute the cylindrical extensions of the projections in i) to $U_1 \times U_2 \times U_3 \times U_4$

4C. Explain convexity of a fuzzy set with example

(5+3+2)

5A. Draw the network architecture of a Probabilistic Neural Network (PNN) and bring out at least 3 differences between Multilayer perceptron –back propagation and PNN network.

5B. Explain the structure and properties of fuzzy rule base with illustration

5C. Consider the following fuzzy relations:

$$Q1 = \begin{pmatrix} 0.2 & 1 & 1 \\ 0.8 & 0.5 & 0.6 \\ 0.7 & 1 & 0.3 \end{pmatrix} \quad Q2 = \begin{pmatrix} 1 & 1 & 0.8 \\ 0.5 & 0.1 & 0.7 \\ 0.9 & 0.04 & 0.2 \end{pmatrix}$$

Perform $Q2 \circ Q1$ by max-product composition

(5+3+2)

6A. Design a simple fuzzy rule based system to simulate a non-linear function $Y = \cos X$, where X is defined in the universe $[0 \ 180]$ and Y is defined in the universe $[-1 \ 1]$. Use Mamadani minimum implication with min for t-norm operator and max for s-norm operator. Use weighted average defuzzifier and test by applying the following fuzzy singletons: $X = 0, 90, 180$.

6B. Define validation, sensitivity and specificity for a classifier in general.

6C. Given the fuzzy sets $A = \frac{1}{1} + \frac{0.2}{2} + \frac{0.5}{3} + \frac{0.8}{4} + \frac{0.1}{5}$ and $B = \frac{0.3}{1} + \frac{0.6}{2} + \frac{0.7}{3} + \frac{0.8}{4} + \frac{1}{5}$,

determine Fuzzy intersection by algebraic product

(5+3+2)

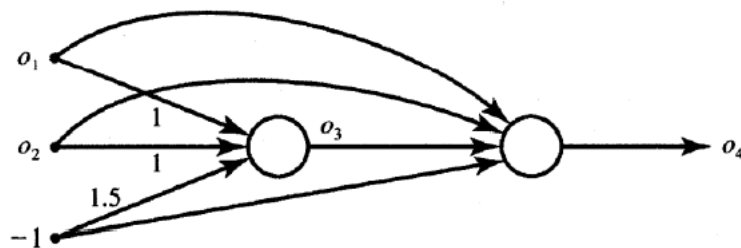


Fig. Q2C

