

# Question Paper

Exam Date & Time: 07-May-2018 (09:30 AM - 12:30 PM)



## MANIPAL ACADEMY OF HIGHER EDUCATION

### INTERNATIONAL CENTRE FOR APPLIED SCIENCES

#### THIRD SEMESTER B.S (ENGG)

#### END-SEMESTER THEORY EXAMINATIONS APRIL - 2018

DATE : 7 MAY 2018

TIME : 9:30AM TO 12:30PM

#### STRENGTH OF MATERIALS [CE 232A]

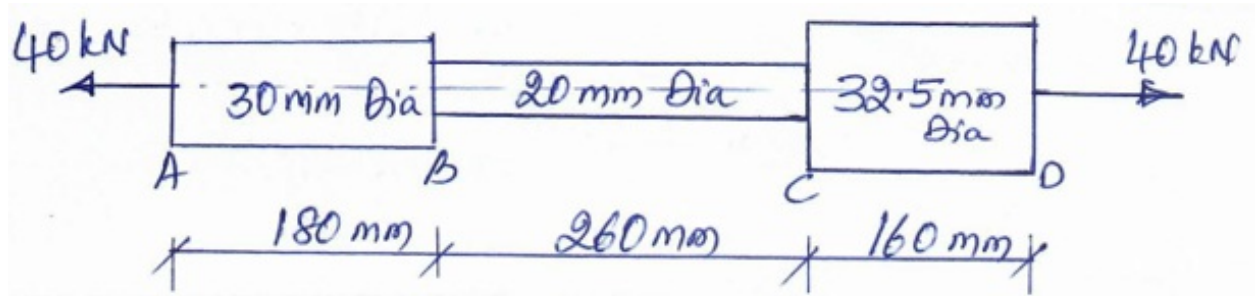
Marks: 100

Duration: 180 mins.

**Answer 5 out of 8 questions.**

**Missing data if any may be assumed suitably.**

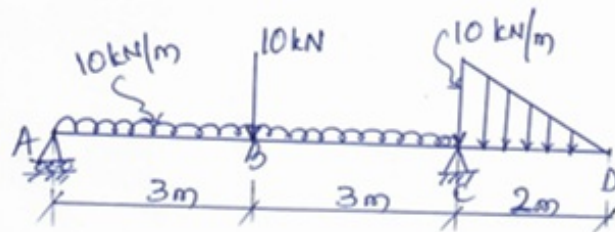
- 1) Derive an expression for the elongation of a tapering rod (8)  
having length 'L' and diameter 'D' at one end and 'd' at the other end when subjected to an axial tensile load of 'P'
- A)
- B) Find the stresses in the three parts of the bar shown in figure and (12)  
total extension of the bar for an axial pull of 40 kN. Take  $E = 2 \times 10^5 \text{ N/mm}^2$ .



- 2) With usual notations define the FOUR elastic constants. (8)
- A)
- B) A reinforced concrete column is 300 mm x 300 mm in (12)  
section. The column is provided with 08 steel bars of 20mm  
diameter. The column carries a load of 360 kN. Find the  
stresses in concrete and steel bars.  
Take  $E_{st} = 2.1 \times 10^5 \text{ N/mm}^2$  and  $E_c = 0.14 \times 10^5$   
 $\text{N/mm}^2$ .
- 3) Define Bending moment and Shear forces in beams. Give (6)  
their relationships.
- 6)
- B) A steel tube of 50 mm in external diameter and 3 mm thick (14)  
encloses centrally a solid copper bar of 35 mm diameter.

The bar and the tube are rigidly connected together at the ends at a temperature of 20°C. Find the stress in each metal when heated to 170°C. Also find the increase in length, if the original length of the assembly is 350 mm. Take  $E_{st} = 2 \times 10^5$  MPa,  $E_{cu} = 1 \times 10^5$  MPa,  $\alpha_{st} = 1.08 \times 10^{-5}$  per °C and  $\alpha_{cu} = 1.7 \times 10^{-5}$  per °C

- 4) Explain with examples (i) Section Modulus (Z) (ii) Simple or Pure bending (6)
- A) Pure bending
- B) A hollow cylindrical column of length 4.2m fixed at both ends carries an axial load of 250 kN. Design the column by Rankine's formula. Adopt a factor of safety of 5. The internal diameter may be taken as 0.8 times the external diameter. Take  $\sigma_c = 550$  MPa and  $a = 1/1600$  in the Rankine's formula. (14)
- 5) Define temperature stresses. Give its nature and mathematical relationship. (6)
- A) Define temperature stresses. Give its nature and mathematical relationship.
- B) Draw BMD and SFD for the beam loaded as shown in the figure. Show the values at the salient points. (14)



- 6) Explain (i) Effective length of a column (ii) Short Column and Long Column. (6)
- A) Explain (i) Effective length of a column (ii) Short Column and Long Column.
- B) A cast iron beam 2.75m long has one support at the left end and the other support at 0.75 m from the right end. The beam is of T section consisting of a top flange 150 mm x 20 mm and a web 20 mm wide and 80 mm deep. If the tensile and compressive stresses are not to exceed 40 MPa and 70 MPa respectively, find the safe concentrated load W that can be applied at the right end of the beam. (14)
- 7) Explain (i) Principal Stresses and Principal Planes (ii) Shear stress distribution across rectangular cross section. (6)
- A) Explain (i) Principal Stresses and Principal Planes (ii) Shear stress distribution across rectangular cross section.
- B) A steel beam having uniform section is 14 m long and is simply supported at its ends. It carries concentrated loads of 120 kN and 80 kN at two points 3 m and 4.5 m from the (14)

two ends respectively. Moment of inertia for the section is  $16 \times 10^8 \text{ mm}^4$  and  $E = 210 \text{ kN/mm}^2$ . Calculate the deflections under the two loads.

- 8) With usual notations obtain the maximum deflection for the (6)  
A) cantilever beam carrying uniformly distributed load  
throughout the span.  
B) A hollow shaft with diameter ratio  $3/5$  is required to (14)  
transmit  $450 \text{ kW}$  at  $120 \text{ rpm}$ . If the shear stress in shaft  
must not exceed  $60 \text{ MPa}$  and twist in a length of  $2.5 \text{ m}$   
must not exceed one degree, calculate the required  
minimum external diameter for the shaft.  
Take the modulus of rigidity as  $8 \times 10^4 \text{ MPa}$

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