

II SEMESTER M.TECH (TSES)

END SEMESTER MAKE UP EXAMINATIONS, JUNE 2018

SUBJECT: ADVANCED HEAT TRANSFER [MME 5270] REVISED CREDIT SYSTEM

Time: 3 Hours

MAX. MARKS: 50

Instructions to Candidates:

- ✤ Answer ALL the questions.
- Missing data may be suitably assumed.
- Use of Heat and Mass Transfer data book is permitted.
- **1A.** Consider an infinite (in y & z directions) plane wall of thickness L. The wall is initially at temperature T_i . It is then suddenly exposed to convection on both surfaces with a fluid having temperature T_{∞} and convective heat transfer coefficient h. Write the mathematical formulation of the problem. Is there any way to simplify the problem analysis? Which method you suggest for the solution?
- **1B.** Determine the temperature distribution in the wall as a function of time for the problem given in question 1A.
- **1C.** Steady state temperature distribution in a thick walled cylinder is given as follows; $T(r) = a \ln(r) + b$. Obtain the expression for temperature at $r_m = 0.5(r_i + r_o)$ in terms of T_i and T_o .
- **2A.** A short cylinder of radius *R* and length *L* is initially at a uniform temperature T_i . Its exterior surface temperature is suddenly changed to a new value T_{∞} . The differential equation and the boundary and initial conditions are given by:

$$\frac{\partial^2 T}{\partial r^2} + \frac{1}{r} \frac{\partial T}{\partial x} + \frac{\partial^2 T}{\partial z^2} = \frac{1}{\alpha} \frac{\partial T}{\partial t}$$

$$T(r, z, 0) = T_i$$

$$T(R, z, t) = T_{\infty}$$

$$T(r, 0, t) = T_{\infty}$$

$$T(r, L, t) = T_{\infty}$$
Reduce the shows problem to one dimensional to

Reduce the above problem to one-dimensional transients.

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2B. Write the governing equation and boundary conditions for the steady state heat conduction in the cross-section of the wall shown in Fig. 2B.



- **2C.** Obtain the expression for the steady state temperature distribution in the square cross-section of the wall shown in Fig. 2B.
- **3A.** What are the steps involved in the method of partial solutions? When can we use this method?
- **3B.** Obtain the fully developed velocity profile for laminar flow through elliptic cross section tube.
- **3C.** The fully developed velocity and temperature profiles for a circular tube of radius R with constant heat flux condition are as follows;

$$u(r) = 2V\left(1 - \left(\frac{r}{R}\right)^2\right), \qquad T(r) = T_s + \frac{2V}{\alpha}\left(\frac{dT_m}{dx}\right)\left(\frac{r^2}{4} - \frac{r^4}{16R^2} - \frac{3R^2}{16}\right)$$

Obtain the expression for mixed mean temperature.

- **4A.** Oil of viscosity 60 mPa.s and 844 kg/m^3 enters a copper tube of 10 mm diameter and 1 m length at 50°C and leave at 40°C. The entire tube is immersed in large quantity of ice cold water. If the mass flow rate of the oil is 0.004 kg/s, calculate;
 - i. Hydrodynamic and thermal entry length
 - ii. Average Nusselt number at exit
 - iii. Surface heat flux at x = 0.5 m, assuming $T_s = 0^{\circ} \text{ C}$

Take $C_p = 20 \text{ kJ/kgK}$ and $\alpha = 8 \times 10^{-8} \text{ m}^2/\text{s}$

Refer following table for the Nusselt numbers in the thermal entry length region.

$x^* = \frac{x}{R \operatorname{Pe}}$	0	0.001	0.004	0.01	0.04	0.08	0.1	0.2
$Nu(x^*)$	8	12.8	8.03	6.0	4.17	3.77	3.71	3.66

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4B. A double tube counter flow heat exchanger annulus region has $r_i = 30 \text{ mm}$ and $r_o = 50 \text{ mm}$. Determine the Nusselt number at the inner and outer tube surface, for $q_{si} = 2000 \text{ W/m}^2$ and $q_{so} = 1000 \text{ W/m}^2$. For what heat flux ratio, outer surface temperature matches mean temperature?

$r^* = rac{r_i}{r_o}$	Nu _{ii}	Nu_{00}	ζ_i	ζ_0
0.6	5.912	5.099	0.473	0.2455

- **4C.** Write the governing equations for 2D turbulent boundary layer flow and heat transfer.
- **5A.** Explain the crossed-strings method of determining view factors between two infinitely long surfaces.
- **5B.** What is the function of radiation shield? Prove that, when all emissivities are equal, radiation heat transfer rate is reduced by (N+1) times by providing N number of radiation shields.
- **5C.** A graphite block has a cylindrical cavity 100 mm in diameter and serves as a crucible for laboratory experiments. The cavity is filled with melt at 600 K up to 50 mm below the opening. The surrounding temperature is 300 K and the average temperature of the un-wet surface is 500 K. Estimate the rate of heat loss from the melt by radiation.



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