Reg. No.



MANIPAL INSTITUTE OF TECHNOLOGY MANIPAL A Constituent Institution of Manipal University

II SEMESTER M.TECH. (INDUSTRIAL AUTOMATION AND ROBOTICS, MECHATRONICS ENGINEERING) END SEMESTER EXAMINATIONS, APRIL 2017

SUBJECT: ROBOT DYNAMICS AND ANALYSIS [MTE 5139]

(23/04/2018)

Time: 3 Hours

MAX. MARKS: 50

Instructions to Candidates:

- ✤ Answer ALL questions.
- Data not provided may be suitably assumed
- 1A. Define pictorially the four parameters in a D-H Table. Calculate the D-H Table for the PUMA 560 as shown in Figure Q.1A and derive the forward kinematics for the same.(Assume various parameters).





Figure Q.1A

- **1B.** If there are two reference frame {A} and {B} and ${}_{A}^{B}X$, ${}_{A}^{B}Y$, ${}_{A}^{B}Z$ represents the X,Y and Z axis respectively for frame {A} represented in reference frame {B},Find out the rotation matrix between {A} and {B}.
- 2A. Write down the general form of EoF (equation of motion) for multi body system. What does each of the components represents? Deduce the same using Lagrangian Formulation.
- 2B. Deduce the equation of motion for two link planar manipulator Figure Q.2B 05



Figure Q.2B

3A. Figure Q.3A shows a two-link planar arm with rotary joints. For this arm, **04** the

second link is half as long as the first—that is, $l_1 = 2l_2$. The joint range limits in degrees are

$$0 < \theta_1 < 180$$

 $-90 < \theta_2 < 180$

Sketch the approximate reachable workspace (an area) of the tip of link 2.



Figure Q.3A

3B. If the parameters of the system in Figure Q3B are in m = 1, b = 1, and k = 041, find the gains k_p , k_v for a position-regulation control law that results in the system's being critically damped with a closed-loop stiffness of 16.0.



Figure Q3B

- **3C.** Draw a block diagram for a position regulator system
- 4A. Write down the forward kinematic equation for two link planar manipulator and derive the inverse kinematic expression algebraically. For the same manipulator length of the first link is 2 units and length of second link is 1 unit. It's Jacobian matrixes at 3 different configuration (named as J1,J2 and J3) have been given as follows:

 $J1 = \frac{-0.6893}{2.9093} \quad \begin{array}{c} -0.3420 \\ 0.9397 \end{array} \\ J2 = \frac{-1.6644}{2.3862} \quad \begin{array}{c} -0.8192 \\ 0.5736 \end{array}$ and $J3 = \frac{-2.3801}{1.1554} \quad \begin{array}{c} -0.9659 \\ -0.2588 \end{array}$

Calculate joint variables and Cartesian space coordinates for each of this configuration.

- **4B.** With neat sketch, explain different types of joints and different **03** configurations of robot (with work volume, joint notation scheme).
- **5A.** Draw the block diagram for Hybrid position/force controller for a general **05** manipulator.
- **5B.** Illustrate the methodology for deriving inverse kinematics solution for two **03** link planar manipulator (RR).
- **5C.** Obtain the coefficients of a cubic polynomial $\theta(t) = a_0 + a_1 t + a_2 t^2 + a_3 t^3$ if $\theta(0), \dot{\theta}(0), \ddot{\theta}(0)$, and $\theta(t_f)$ are specified.

[MTE 5139]

Page 3 of 3

02