


II SEMESTER M.TECH. (AUTOMOBILE ENGINEERING)
END SEMESTER EXAMINATIONS, APR-MAY 2019
SUBJECT: COMPUTATIONAL FLUID DYNAMICS [AAE 5233]
**REVISED CREDIT SYSTEM
(04/05/2019)**

Time: 3 Hours

MAX. MARKS: 50

Instructions to Candidates:

- ❖ Answer **ALL** the questions.
- ❖ Missing data may be suitable assumed.

1A. For the one-dimensional heat conduction is given by

04

$$\frac{d}{dx} \left(k \cdot \frac{dT}{dx} \right) + S = 0,$$

Where K = thermal conductivity and T is the temperature and S the heat generated, obtain the discretization equation by Finite Volume technique in the standard form,

$$a_p T_p = a_E T_E + a_w T_w + S_u$$

1B. Derive the Navier-Stokes equation in non-conservative form for a 3-D fluid flow subjected to normal and shear stresses as well as pressure forces

06
2A. Explain three the properties of numerical schemes in while using Control Volume Approach.

03
2B. Explain the difference between collocated and staggered grid arrangement

02
2C. With a neat flow diagram explain the SIMPLE algorithm of Patankar-Spalding

05
3A. Using finite difference numerical scheme and TDMA method to solve for the distribution of ϕ with the data given below.

06

$$\frac{d^2 T}{dx^2} + h'(T_a - T) = 0,$$

$$\Delta x = 2.0, h' = 0.01 \text{ boundary conditions: } T|_{x=0} = 200^\circ C \text{ and } T|_{x=10} = 100^\circ C$$

3B. With a neat sketch, explain the solution capsule for ADI method

02
3C. Explain the four basic rules of control volume formulations.

02
4. Use the simple implicit finite difference approximation to solve for the temperature

10

distribution of a long thin rod with a length of 10cm after $t = 0.2s$ and the following values: At $t = 0$ the temperature of the rod is zero and the boundary conditions are fixed for all the times at $T(0)=100^{\circ}C$ and $T(10)= 50^{\circ}C$.value of $k = 0.835cm^2/s$. the governing equation is given as,

$$k \frac{\partial^2 T}{\partial x^2} = \frac{\partial T}{\partial t}$$

$$\Delta x = 2cm, \Delta t = 0.1s$$

5. A property ϕ is transported by means of convection and diffusion through the one dimensional domain sketched below. The governing equation is 10

$$\frac{d(\rho u \phi)}{dx} = \frac{d}{dx} \left(\Gamma \frac{d\phi}{dx} \right)$$

The boundary conditions are

$$\phi_0 = 1.0 \text{ at } x = 0 \text{ and } \phi_L = 0 \text{ at } x = L.$$

Using five equally spaced cells and the UDS calculate the distribution of ϕ when $u = 0.2 \text{ m/s}$. Consider $\rho = 1.5$, $L = 0.5m$, $\Gamma = 0.1$

