Reg. No.



V SEMESTER B.TECH (ELECTRICAL & ELECTRONICS ENGINEERING) END SEMESTER EXAMINATIONS, NOVEMBER 2019

DIGITAL SIGNAL PROCESSING [ELE 3102]

REVISED CREDIT SYSTEM

| Time: | 3 Hou | irs | | 18 | 8 th Noven | nber 2 | 2019 | | | | Ma | x. Ma | rks: 50 |
|-----------------------------|--|------------------------|-----------------|-------------------------|-------------------------------------|-----------------|-----------------|---------------|----------------|------------|---------------|---------------|---------|
| Instructions to Candidates: | | | | | | | | | | | | | |
| | ✤ Answer ALL the questions. | | | | | | | | | | | | |
| | Missing data may be suitably assumed. | | | | | | | | | | | | |
| | DSP Quick reference table may be provided. | | | | | | | | | | | | |
| 1A. | Consider an analog signal $x(t) = 20\cos\left(40\pi t - \frac{\pi}{3}\right) - 10\cos\left(100\pi t\right)$ applied to a sampling and reconstruction system. i. What value of the minimum sampling rate F _s will ensure y(t)=x(t)? | | | | | | | | | | | | |
| | iii. Determine the discrete-time signal $X(n)$ for rs=300 m2. | | | | | | | | | | | | |
| | | y(t) = D | $+ 20\cos($ | $40\pi t - \frac{1}{2}$ | $\left(\frac{\pi}{3}\right)$? wher | re D is | so tha | ai nstar | nt. | | | | (03) |
| 1B. | Show that M length FIR filter with impulse response satisfying the condition $h(M-n-1) = h(n)$ has linear phase response. (Assume odd length for derivation). | | | | | | | | | | | the odd | (03) |
| 1C. | Illust x(n)= | rate the =[1 2 ▲ | over-lap 3 2 | save 1 -1 | method f 2 4 | or filt 5] a | ering and h(| long (n)=[| data 1 ↑ | sequ -1 | ence 1] us | e for sing | |
| | input | sub fran | nes of le | ngth 5. | | | | | | | | | (04) |
| 2A. | Explain the need for antialiasing filter in digital signal processing system. | | | | | | | | | | | æm. | (02) |
| 2B. | Determine the 8 point DFT of the sequence $x(n)$ using radix 2 decimation in frequency FFT algorithm where $x(n) = \begin{cases} 1; & -3 \le n \le 1 \\ 0; & otherwise \end{cases}$ | | | | | | | | | | | | |
| | Show all the intermediate values in the signal flow graph. | | | | | | | | | | (05) | | |
| 2C. | Compare the characteristics of Butterworth, Chebyshev Type-I with N even and N odd, where N is the order of the filter. Also plot magnitude response in each case. | | | | | | | | | | | | (03) |
| 3A. | For tł -2≤n | ne given ≤3. | 6 point s | sequen | ce x(n) = | = [1, | 1, | 4, | 3, | 2, | 2] | for | |
| | i. Find the 3 point DFT Z(k) of the sequence $z(n)=x(2n)$ with $0 \le k \le 2$. | | | | | | | | ≪≤2. | | | | |
| | ii. | Find 3 p | oint DF | 「Y(k) (| of a y(n)= | =z(n+ | -1) | | - | | | | (05) |

- **3B.** A linear phase FIR digital filter is described by difference equation $y(n) = \sum_{k=0}^{2} b_k x(n-k)$. Determine the filter coefficient such that it rejects a frequency component at $\omega_o = \frac{\pi}{3}$ and its frequency response is normalised so that $|H(e^{j\omega})|_{\omega=0} = 1$ (03)
- **3C.** Write a technical note on all pass filter. Also mention the location of poles and zeros in z plane.
- **4A.** Determine the lattice-ladder parameters for the following digital filter. Sketch lattice-ladder structure.

$$H(z) = \frac{1 - 8z^{-1} + 0.15z^{-2}}{2 + 0.2z^{-1} - 1.44z^{-2}}$$

Comment on the stability of the system.

- **4B.** A causal linear phase symmetric FIR system H(z) which has 4 zeros is given by $H(z) = H_1(z)(1 0.8z^{-1} + 0.64z^{-2})$. Find impulse response h(n) of the FIR system. Take h(n) =1 for n=0. (02)
- **4C.** From fundamental design an FIR linear phase digital filter approximating the ideal frequency response

$$\left|H_{d}(e^{j\omega})\right| = \begin{cases} 1; \ \frac{\pi}{4} \le |\omega| \le \frac{3\pi}{4} \\ 0; \ otherwise \end{cases}$$

Determine the coefficients of a seven tap filter using Blackman window. **(04)**

5A. Linear phase digital low pass filter with the following specifications is required.

Pass band 0 to 5 kHz

Sampling frequency 18 kHz

Filter length 9

Design this filter using frequency sampling method. (05)

5B. Design a digital Butterworth filter using Bilinear transformation to satisfy the following specification.

$$\begin{cases} 0.8 \le \left| H(e^{j\omega}) \right| \le 1; & for \quad 0 \le \omega \le 0.4\pi \\ \left| H(e^{j\omega}) \right| \le 0.2; & for \quad 0.6\pi \le \omega \le \pi \end{cases}$$

Take sampling frequency of 1 Hz.

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(05)

(04)

(02)