

DEPARTMENT OF MECHATRONICS ENGINEERING III SEMESTER B.TECH. (MECHATRONICS ENGINEERING) END SEMESTER EXAMINATIONS, JANUARY 2022

SUBJECT: ROBOTICS I

SUBJECT CODE: MTE 2154

Time: 09:00 AM to 01:00 PM

Time: 45 + 10 Min

Date:29/01/2022 MAX. MARKS: 30

Instructions to Candidates:

Answer **ALL** the questions.

	PART A	30 Marks				
		Marks	CO	PO	LO	BL
1	Newton Euler Method depends upon the recursive algorithm for calculating subsequent linkages and joint calculation for deriving the dynamics a. None b. False c. True d. Statement is wrong	1	CO4	1,2	1,2	1
2	 What is the return value angle in the range of arc tangent function normally having two arguments x and y? a90 Deg to 90 Deg b180 Deg to 180 Deg c. 0 to 90 Deg d. 0 to 180 Deg 	1	C03	1,2	1,2	1
3	In assembling of integrated chips which of the following robot is used? a. Parallel Manipulator b. Serial Manipulator c. None of the above d. All of the above	1	CO3	1,2	1,2	1
4	In the matrix given here, what will be the guideline you will be using for equating joint variable1? a. Guideline 2 b. None of the above c. Guideline 1 d. Guideline 3	1	C03	1,2	1,2	1
5	The full Jacobian is an nxm matrix where n is the number of joints, and m is the number of variables describing motion? a. Statement is wrong b. None c. True	1	CO4	1,2	1,2	1

	d. False					
6		1	CO2	1,2	1,2	1
	In a homogeneous transformation matrix, one of the parts is the displacement vector			,	· ·	
	Which of the homogeneous transformation matrices shown here has the displacement					
	which of the holdogeneous nansformation matrices shown here has the displacement					
	a) $\begin{bmatrix} 0 & 1 & 0 & 4 \\ b \end{bmatrix} \begin{bmatrix} 0 & 1 & 0 & 4 \\ b \end{bmatrix} \begin{bmatrix} 0 & 1 & 0 & 4 \\ c \end{bmatrix} \begin{bmatrix} 0 & 1 & 0 & 4 \\ c \end{bmatrix} \begin{bmatrix} 0 & 1 & 0 & 4 \\ d \end{bmatrix} \begin{bmatrix} 0 & 1 & 0 & 4 \\ c \end{bmatrix}$					
	[0 0 0 2] $[0 0 0 1]$ $[0 0 0 0.5]$ $[0 0 0 1]$					
	a. d					
	b. b					
	c. a					
	d. c					
7	Select all relevant applications of forward dynamics	1	CO4	1,2	1,2	1
	a. None of the above					
	b. Surgical robot					
	c. Welding					
0	d. Pick and Place operation	1	CO4	1.0	1.0	1
0	inverse dynamics maps motion to torque	L	004	1,2	1,2	I
	a. Faise b. Statement is wrong					
	c True					
	d. None					
9	Does path generation and trajectory generation of a robot for	1	CO5	1.2	1.2	1
	its movement from one location to another location are same?			_,		
	a. No					
	b. Maybe					
	c. None					
	d. Yes					
10	According to the guidelines of inverse kinematics we can use	1	CO3	1,2	1,2	1
	the arc sine function to calculate the joint variables of the					
	given robot. Sampling-based algorithms					
	a. None					
	b. True					
	c. Statement is wrong					
11	a. False	1	CO2	1.0	1.0	1
	From the given figure if you apply inverse kinematics, how		003	1,2	1,2	I
	many solutions in real-time you can calculate?					



	Joint 1 Joint 2 Joint 3 Joint 1 Joint 2 Joint 3 Image: Construction of the above Image: Construction of the above Image: Construction of the above Image: Construction of the above Image: Construction of the above Image: Construction of the above Image: Construction of the above Image: Construction of the above Image: Construction of the above Image: Construction of the above Image: Construction of the above Image: Construction of the above Image: Construction of the above Image: Construction of the above Image: Construction of the above Image: Construction of the above Image: Construction of the above Image: Construction of the above Image: Construction of the above Image: Construction of the above Image: Construction of the above Image: Construction of the above Image: Construction of the above Image: Construction of the above Image: Construction of the above Image: Construction of the above Image: Construction of the above Image: Construction of the above Image: Construction of the above Image: Construction of the above Image: Construction of the above Image: Construction of the above <td< th=""><th></th><th></th><th></th><th></th><th></th></td<>					
12	 Consider a 3x3 matrix, M =	1	CO2	1,2	1,2	1
13	Parallel robot is used for Automobile simulator a. None b. True c. Statement is wrong d. False	1	CO3	1,2	1,2	1
14	Differential motions are small movements of mechanisms (e.g., robots) that can be used to derive velocity relationships between different parts of the mechanism a. False b. Statement is wrong c. None d. True	1	CO4	1,2	1,2	1
15	According to the inverse homogeneous transformation function the transpose is equivalent to the inverse of the matrix?	1	CO2	1,2	1,2	1



	a. True					
	b. False					
	c. None					
	d. Statement is wrong					
16	Using the guideline 'e', in inverse transform approach to isolate	1	CO3	1,2	1,2	1
	the joint variable, we can use post multiplication method					
	a. True					
	b. Statement is wrong					
	c. False					
	d. None					
17	The kinematic chain subsquently connected with open ended	1	CO1	1,2	1,2	1
	end dffector is called as?					
	a. Serial Manipulator					
	b. Parallel Manipulator					
	c. None					
	d. Hybrid Manipulator					
18	A Path is the locus of points to be traversed by the manipulator	1	CO5	1,2	1,2	1
	to execute the required task?					
	a. Yes					
	b. Maybe					
	c. No					
19	What are the applications of trajectory planning?	1	CO5	1,2	1,2	1
	a. None of the above			-	,	
	b. Both of the above					
	c. Obstacle Avoidance					
	d. Kinematic Chain Analysis					
20	Rot(q,dx) is represented as small rotations of the frame with	1	CO2	1,2	1,2	1
	angle dx about q axis.			,	,	
	a. None					
	b. False					
	c. Statement is wrong					
	d. True					
21	Displacement Vector between two frames depends?	1	CO2	1,2	1,2	1
	a. On joint variable of prismatic joint only			,	,	
	b. Only on the scalar distance between two frames					
	c. It depends on the angle of rotation of the first frame if					
	it's a revolute joint and the scalar distance between two					
	frames					
	d. None of the above					
22	Legragian dynamics methodology depends upon the total	1	CO4	1.2	1.2	1
	kinetic energy and potential energy of the system?	-	001	-,-	-,-	-
	a. None					
	b Statement is wrong					
	c. True					
	d. False					
23	Jacobian is calculated by taking the derivatives of each	1	CO4	1.2	1.2	1
	position equation with respect to all joint variables			-, -	-,-	-
	a. True					
L						



	b. False					
	c. None d. Statement is wrong					
24	The characteristic of a parallel robot is that it should have at	1	CO3	1.2	1.2	1
	least three degrees of freedom actuators	•	000	1,2	1,2	•
	a. None					
	b. True					
	c. Statement is wrong					
	d. False					
25	Two coordinate frames, world (w) and robot (r) as shown in the	1	CO2	1,2	1,2	1
	figure.					
	3 units					
	A. A.					
	T_{z_w} T_{z_r}					
	Yw Yr					
	The two x axes are parallel, as are the two x and the two z axes.					
	the origin of the world coordinate axes in robot frame can be					
	represented as					
	$\begin{bmatrix} 3 \\ 0 \end{bmatrix} \begin{bmatrix} 0 \\ 0 \end{bmatrix} \begin{bmatrix} -3 \\ -3 \end{bmatrix}$					
	a) $\begin{bmatrix} 0 \\ 0 \end{bmatrix} \begin{bmatrix} -3 \\ 0 \end{bmatrix} \begin{bmatrix} 0 \\ 0 \end{bmatrix} \begin{bmatrix} 2 \\ 0 \end{bmatrix} \begin{bmatrix} 0 \\ 0 \end{bmatrix} \begin{bmatrix} 0 \\ 0 \end{bmatrix} \begin{bmatrix} 0 \\ 0 \end{bmatrix}$					
	1					
	a. d					
	b. b					
	c. a					
26		1	CO3	1.0	1.2	1
20	The full Jacobian is an nxm matrix where n is the number of	1	02	1,2	1,2	1
	joints, and m is the number of variables describing motion.					
	a. Statement is wrong					
	D. False					
	d True					
27	U. 1100 Rotation matrix between two frames depends	1	<u> </u>	12	12	1
	A on both no joint motion and joint motion matrices	T	002	1,4	1,4	I
	a. On both no joint motion and joint motion matrices					
	c. None of the above					
	e on joint motion matrix only					
28		1	CO4	1.2	1.2	1
		I	204	_, _	_,_	I
	[D] - [I][D]					
	$ D = J D_{\theta} $					
	In the given equation, what is D representing?					

	a. Differential motion of joints					
	b. None of the above					
	c. Differential motions along respective axis					
	d. Differential rotations					
29	In a homogeneous transformation matrix, one of the parts is the rotation matrix. Which	1	CO2	1,2	1,2	1
	of the homogeneous transformation matrices shown here has the rotation matrix					
	worked in red and hold					
	a) $\begin{bmatrix} 0 & 1 & 0 & 4 \\ b \end{bmatrix} \begin{bmatrix} 0 & 1 & 0 & 4 \\ c \end{bmatrix} \end{bmatrix} \begin{bmatrix} 0 & 1 & 0 & 4 \\ c \end{bmatrix} \begin{bmatrix} 0 & 1 & 0 & 4 \\ c \end{bmatrix} \begin{bmatrix} 0 & 1 & 0 & 4 \\ c \end{bmatrix} \end{bmatrix} \begin{bmatrix} 0 & 1 & 0 & 4 \\ c \end{bmatrix} \begin{bmatrix} 0 & 1 & 0 & 4 \\ c \end{bmatrix} \begin{bmatrix} 0 & 1 & 0 & 4 \\ c \end{bmatrix} \end{bmatrix} \begin{bmatrix} 0 & 1 & 0 & 4 \\ c \end{bmatrix} \begin{bmatrix} 0 & 1 & 0 & 4 \\ c \end{bmatrix} \end{bmatrix} \begin{bmatrix} 0 & 1 & 0 & 4 \\ c \end{bmatrix} \end{bmatrix} \begin{bmatrix} 0 & 1 & 0 & 4 \\ c \end{bmatrix} \end{bmatrix} \begin{bmatrix} 0 & 1 & 0 & 4 \\ c \end{bmatrix} \end{bmatrix} \begin{bmatrix} 0 & 1 & 0 & 4 \\ c \end{bmatrix} \end{bmatrix} \begin{bmatrix} 0 & 1 & 0 & 4 \\ c \end{bmatrix} \end{bmatrix} \end{bmatrix} \begin{bmatrix} 0 & 1 & 0 & 4 \\ c \end{bmatrix} \end{bmatrix} \begin{bmatrix} 0 & 1 & 0 & 4 \\ c \end{bmatrix} \end{bmatrix} \end{bmatrix} \begin{bmatrix} 0 & 1 & 0 & 4 \\ c \end{bmatrix} \end{bmatrix} \end{bmatrix} \begin{bmatrix} 0 & 1 & 0 & 4 \\ c \end{bmatrix} \end{bmatrix} \end{bmatrix} \begin{bmatrix} 0 & 1 & 0 & 4 \\ c \end{bmatrix} \end{bmatrix} \end{bmatrix} \begin{bmatrix} 0 & 1 & 0 & 4 \\ c \end{bmatrix} \end{bmatrix} \end{bmatrix} \begin{bmatrix} 0 & 1 & 0 & 1 \\ c \end{bmatrix} \end{bmatrix} \end{bmatrix} \begin{bmatrix} 0 & 1 & 0 & 1 \\ c \end{bmatrix} \end{bmatrix} \end{bmatrix} \begin{bmatrix} 0 & 1 & 0 & 1 \\ c \end{bmatrix} \end{bmatrix} \end{bmatrix} \begin{bmatrix} 0 & 1 & 0 & 1 \\ c \end{bmatrix} \end{bmatrix} \end{bmatrix} \end{bmatrix} \begin{bmatrix} 0 & 1 & 0 & 1 \\ c \end{bmatrix} \end{bmatrix} \end{bmatrix} \end{bmatrix} \begin{bmatrix} 0 & 1 & 0 & 1 \\$					
	a. d					
	b. b					
	c. a					
	d. c					
30	What is the term added for cubic polynomial function of a	1	CO5	1,2	1,2	1
	trajectory to fifth order polynomial?					
	a. None of the above					
	b. Angular Acceleration					
	c. Angular Distance					
	d. Angular Velocity					



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SUBJECT CODE: MTE 2154

DATE:29/01/2022

Time: 75+10 MINUTES

MAX. MARKS: 20

Instructions to Candidates:

- Answer ALL the questions.
- ✤ Missing data if any can be suitably assumed.

	Part B					
Q. No	Question	Μ	CO	PO	LO	BL
1	Illustrate Trajectory Planning? Demonstrate the third-order polynomial trajectory planning?	5	5	1,2	1,2	3,4
2	Develop equations of motions of 2-degree of freedom manipulator shown in Fig.Q using Lagrangian formulation. Calculate the kinetic and potential energy of links 1 and 2. y = 0 $\theta_1 = 0$ $\theta_1 = 0$ $\theta_1 = 0$ $\theta_2 = 0$ $\theta_2 = 0$ $\theta_2 = 0$ B = 0 Fig. Q	5	4	1,2	1,2	4,5



3	Determine the new location of the robot after the differential motion, if the hand frame of the 2RP2R manipulator with its numerical Jacobian (J) is given for this instance, and a set of differential motions are provided. $T_{6} = \begin{bmatrix} 1 & 0 & 0 & 5 \\ 0 & 0 & -1 & 3 \\ 0 & 1 & 0 & 2 \\ 0 & 0 & 0 & 1 \end{bmatrix} J = \begin{bmatrix} 3 & 0 & 0 & 0 & 0 \\ -2 & 0 & 1 & 0 & 0 \\ -2 & 0 & 1 & 0 & 0 \\ 0 & 4 & 0 & 0 & 0 \\ 0 & 1 & 0 & 1 & 0 \\ -1 & 0 & 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} d\theta_{1} \\ d\theta_{2} \\ ds_{1} \\ d\theta_{4} \\ d\theta_{5} \end{bmatrix} = \begin{bmatrix} 0.1 \\ -0.1 \\ 0.05 \\ 0.1 \\ 0 \end{bmatrix}$	5	4	1,2	1,2	3,4
4	Determine the joint variables $(\theta_1, \theta_2, d_3, \text{ and } \theta_4)$ for the 4-DOF SCARA manipulator. When: ${}^{0}T_4 = \begin{bmatrix} C_{124} & S_{124} & 0 & L_2C_{12} + L_{11}C_1 \\ S_{124} & -C_{124} & 0 & L_2S_{12} + L_{11}S_1 \\ 0 & 0 & -1 & L_{12} + d_3 - L_4 \\ 0 & 0 & 0 & 1 \end{bmatrix}$ Where, $\cos(\theta_1) = C_1 \sin(\theta_1) = S_1$ $\cos(\theta_2) = C_2 \sin(\theta_2) = S_2$ $\sin(\theta_1 + \theta_2 - \theta_4) = S_{124}$ $Cos(\theta_1 + \theta_2 - \theta_4) = S_{124}$	5	4	1,2	1,2,3	4,5