



**SEVENTH SEMESTER BTECH. (E & C) DEGREE POE (MAKEUP) – FEBRUARY 2022**

**SUBJECT: ERROR CONTROL CODING (ECE - 4073)**

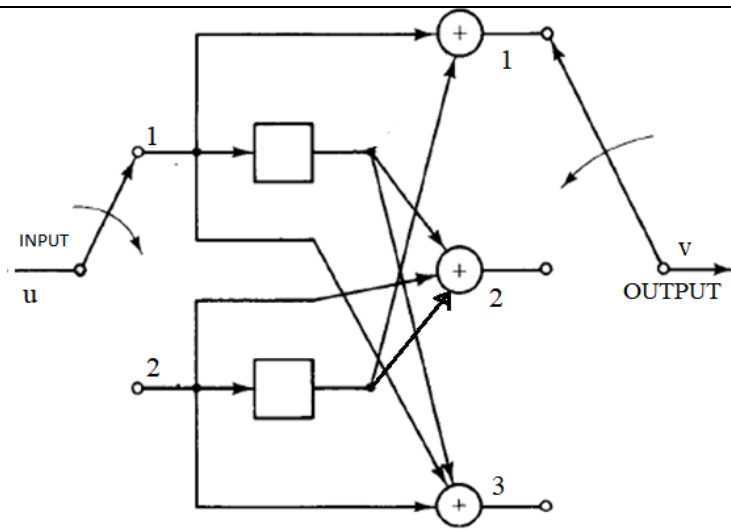
**TIME: 75 min**

**MAX. MARKS: 20**

**Instructions to candidates**

- Answer **ALL** questions.
- Missing data may be suitably assumed.

Q. No.	Questions	Marks
1A	Consider two linear block code $C_1 (n_1, k_1, d_1)$ and $C_2 (n_2, k_2, d_2)$ generated by generator matrix $G_1$ & $G_2$ respectively as given below, where $(n_1, k_1, d_1)$ and $(n_2, k_2, d_2)$ represents the block length, message length, minimum distance of the linear block code $C_1$ and $C_2$ . Determine the block length, message length, and minimum distance for the linear block codes. Are $C_1$ & $C_2$ equivalent codes. Determine the weight distribution of the codes $G_1 = \begin{bmatrix} 110000 \\ 001100 \\ 000011 \end{bmatrix} \quad \& \quad G_2 = \begin{bmatrix} 111111 \\ 011011 \\ 001001 \end{bmatrix}.$	4
1B	A cyclic code $C(n, k)$ is defined by the generator polynomial $x^5 + x + 1$ . Encode the message $m(x) = x^4 + x^2 + 1$ . Determine the CRC and transmitted code for the message. Also give the implementation of the syndrome circuit (right side entry and left side entry).	3
1C	Implement the cyclic Hamming decoding circuit using $g(x) = 1 + x + x^5$ . Modify this circuit to implement (24, 19) shortened decoder. Explain every step with all necessary computations.	3
2A	Design and implement a circuit to determine syndrome $S_{10}$ for a triple error correcting BCH code using minimal polynomials over $GF(2^4)$ . Use $p(x) = 1 + x + x^4$ . Explain the design steps clearly	2
2B.	A convolutional encoder is as shown in Figure 2B. Determine the generator sequences. Calculate the output of an encoder when it is fed with the input sequences $u^{(1)} = (1 \ 0 \ 0 \ 0 \ 1)$ & $u^{(2)} = (0 \ 1 \ 0 \ 1 \ 0)$ applying (i) convolution operation, (ii) using G matrix.	5

	 <p style="text-align: center;">Figure 2B</p>	
2C.	Analyse the received code “11 01 11 00 11 “applying Viterbi Algorithm, on the trellis diagram for the convolutional encoder defined with $g^{(1)}=(110)$ and $g^{(2)}=(101)$ . Estimate the code word	3