



**II SEMESTER M.TECH. (COMPUTER SCIENCE AND INFORMATION  
SECURITY) MAKEUP EXAMINATIONS, AUGUST 2022**

**SUBJECT: CRYPTANALYSIS [CSE 5271]**

**REVISED CREDIT SYSTEM  
(17/08/2022)**

Time: 3 Hours

MAX. MARKS: 50

**Instructions to Candidates:**

- ❖ Answer **ALL** the questions.
- ❖ Missing data may be suitably assumed.

**1.A** Explain the method for addition of two points on the elliptic curves. Given the elliptic curve  $y^2 = x^3 + x - 1 \pmod{11}$ , with a point  $P(1,1)$  on the curve, compute the value of  $2P$ ,  $4P$ , and  $5P$ . **5M**

**1.B** For the S Box Representation given below **3M**

Input	0	1	2	3
Output	1	3	0	2

Construct the Linear Approximation Table. Show all the steps needed to arrive at the result.

**1.C** Compare the following LFSR based generators and mention one drawback of each. **2M**  
(i) Geffe Generator  
(ii) Shrinking Generator

**2.A** Compute the value of  $x$  in the expression  $a^x = b \pmod{p}$  given  $a=2$ ,  $b=5$  and  $p=19$  using Index Calculus method of computing the discrete logarithm. Clearly indicate all the steps in the computation. **5M**

**2.B** Do you think Brent's algorithm could be used to attack the Delayed CBC encryption implemented as a block wise mode of operation beyond the birthday paradox bound? If so, explain. **3M**

**2.C** Using Baby step Giant step algorithm, compute  $x$  in  $3^x = 2 \pmod{17}$ . **2M**

**3.A** Identify the modifications brought into CBC encryption to convert it into a secure CBC MAC, along with a note to justify the modifications. **5M**

**3.B** Outline the steps in the computation of the factors of an integer  $N$  using the Quadratic Sieve Factorization method. Also, identify the theorem used. **3M**

- 3.C** Identify the application of cycle detection algorithms in finding collisions between meaningful messages in hash functions, and explain the same. **2M**
- 4.A** Derive the expression for  $x$  in the equation  $g^x = X \pmod{p}$  in the Pollard Kangaroo method of finding the discrete logarithm. Use  $G = Z_{13}^*$  with  $g = 6$  and  $X = 3$  to determine  $x$ , such that  $g^x = 6^x = X = 3 \pmod{13}$  using Pollard Kangaroo method. Define  $h : G \rightarrow J = \{1, 2, 3\}$  by a table, where  $h$  repeats modulo 4 =  $2s - 2$  for  $s=3$  **5M**
- 4.B** Cryptanalyse the Affine Cipher to find the keys used for encryption, if, through frequency analysis, it is known that the ciphertext character R maps to character E in plaintext and ciphertext character K maps to plaintext character T. Hence decode the ciphertext **HFQR**. Show clearly all the steps. **3M**
- 4.C** Is it possible to subject ElGamal algorithm to birthday attacks? If yes, state the requirements and elaborate the process. If no, mention the reasons. **2M**
- 5.A** Factorize the numbers given below using the following Factorization Algorithms **5M**
- (i)  $N=3675$  using Fermat's differences of squares
  - (ii)  $N= 8051$ , given  $g(x)=(x^2 + 1)$ , using Pollard-Rho Algorithm
- 5.B** Write the basic Eratosthenes's sieve algorithm. What improvements could be made on this algorithm to make it efficient? Explain. **3M**
- 5.C** Describe the concept of value dependent cycle finding used in Nivasch's cycle detection algorithm. **2M**