



**II SEMESTER M.TECH. (COMPUTER SCIENCE AND INFORMATION SECURITY) END SEMESTER EXAMINATIONS, JUNE 2022**

**SUBJECT: CRYPTANALYSIS [CSE 5271]**

**REVISED CREDIT SYSTEM  
(23/06/2022)**

Time: 3 Hours

MAX. MARKS: 50

**Instructions to Candidates:**

- ❖ Answer **ALL** the questions.
- ❖ Missing data may be suitably assumed.

- 1.A** Bob and Alice decide to communicate using RSA Algorithm. Alice computes the private key with public modulus  $N=1537$ , and public key  $e=7$  and transmits the public parameters to Bob. Eve intercepts the communication and uses the Quadratic Sieve Algorithm in order to cryptanalyze the cipher. Show the steps followed by Eve. **5M**
- 1.B** Show that Diffie-Hellman key exchange algorithm is not secure against the following attacks **3M**
- (i) Active attacks
  - (ii) Man in the middle attack
- 1.C** Do you think that bit slicing can be used as a technique for improving the speed of cryptanalysis of DES cipher? Support your answer with suitable explanation. **2M**
- 2.A** Using Index Calculus method of finding Discrete logarithm find  $x$  in  $a^x = b \pmod{p}$  given  $a=2$ ,  $b=10$  and  $p=19$ . Clearly indicate all the steps in the computation. **5M**
- 2.B** Show that Delayed CBC encryption as a block wise mode of operation is (slightly) more vulnerable to attacks beyond the birthday paradox bound than ordinary CBC encryption used as a message wise mode of operation. **3M**
- 2.C** Using Baby step Giant step algorithm, compute  $x$  in  $3^x = 19 \pmod{59}$  **2M**
- 3.A** Consider SHA0 hashing algorithm. Introduce a change on single bit of  $W$  and let the change occur in the 3<sup>rd</sup> bit position. Summarize all possible interactions between interleaved local collisions and list them in a table. How many interferences of overlapping local collisions are identified? Explain. **5M**
- 3.B** Consider an Elliptic curve given by the expression  $y^2 = x^3 + x - 1 \pmod{N}$  with a point  $P(1,1)$  on the elliptic curve. Compute the factors of  $N$ , where  $N=21$ , using Lenstra's elliptic curve factorization method. Clearly show all the steps. **3M**
- 3.C** Show that CBC MAC is not secure for varying length messages. **2M**
- 4.A** Describe Floyd's and Brent's cycle detection algorithms and bring out a comparison of both. Identify which one is better and why? **5M**

- 4.B** Identify the type of cryptosystem on which ‘sliding attack’ could be performed. **3M**  
Describe how ‘sliding with a twist’ attack is performed, with necessary diagrams
- 4.C** RSA is a public key cryptographic algorithm. Is it possible to subject RSA **2M**  
algorithm to birthday attacks? If yes, state the requirements and elaborate the  
process. If no, mention the reasons.
- 5.A** Using Atkin and Bernstein’s sieve, compute the prime numbers less than 60. **5M**  
Clearly indicate all the steps.
- 5.B** Suppose Bob uses RSA algorithm to encrypt a message using the public modulus **3M**  
899 and public key 7. Show how Pollard’s (p-1) algorithm can be used to attack the  
RSA cryptosystem. Clearly indicate all the steps.
- 5.C** For the given function  $F(x) = (x^2 + 1) \pmod{255}$ , with initial value for x as 3, find **2M**  
the length of the cycle and the tail. Plot the function.