

# Question Paper

Exam Date & Time: 25-May-2023 (02:30 PM - 05:30 PM)



## MANIPAL ACADEMY OF HIGHER EDUCATION

SIXTH SEMESTER B.TECH. (ELECTRONICS & INSTRUMENTATION ENGG.)  
END SEMESTER DEGREE EXAMINATIONS, MAY - 2023

### DIGITAL SIGNAL PROCESSING [ICE 3251]

Marks: 50

Duration: 180 mins.

A

Answer all the questions.

Instructions to Candidates: Answer ALL questions Missing data may be suitably assumed

1) Identify the application of linear convolution with an example. [CO1 , BL3, PO3] (2)

A)

B) Determine the inverse Z-transform for the following sequence (4)

$$Y(z) = \frac{3(1-z^{-1})}{(1-0.5z^{-1})(1-2z^{-1})}; y[n] \text{ is (i) causal and (ii) stable. [CO1 , BL3, PO3]}$$

C) If the Z-transform  $X(z)$  has zeros at 0.5 and poles at 0.75,  $-0.5 \pm j0.25$ , determine the poles and zeros of  $y[n]=x[-n+2]$ . [CO1, BL5, PO4] (4)

2) State and prove the circular frequency shift property of discrete Fourier transform. [CO2, BL3, PO2] (2)

A)

B) Consider a circle of any radius and plot its magnitude spectrum of center to border vectors. Interpret the significance of obtained spectrum in real time application. [CO2, BL5, PO4] (3)

C) For a given input sequence  $x(n) = \{-1, 2, 2, 2, -1\}$ , determine  $X(k)$  using radix 2 DIT FFT. [CO2, BL3, PO4] (5)

3) Apply bilinear transformation to  $H(s) = \frac{4s}{s^2 + 0.4s + 2}$  with  $T=2$  sec and find  $H(z)$ . [CO3, BL3, PO2] (2)

A)

B) Determine the order and poles of a type I Chebyshev filter that has a maximum passband attenuation of 2.5 dB at 15 rad/sec and stop band attenuation of 30 dB at 45 rad/sec. [CO3, BL3, PO3] (4)

C) Calculate and draw the magnitude response of the system given by the difference equation (4)

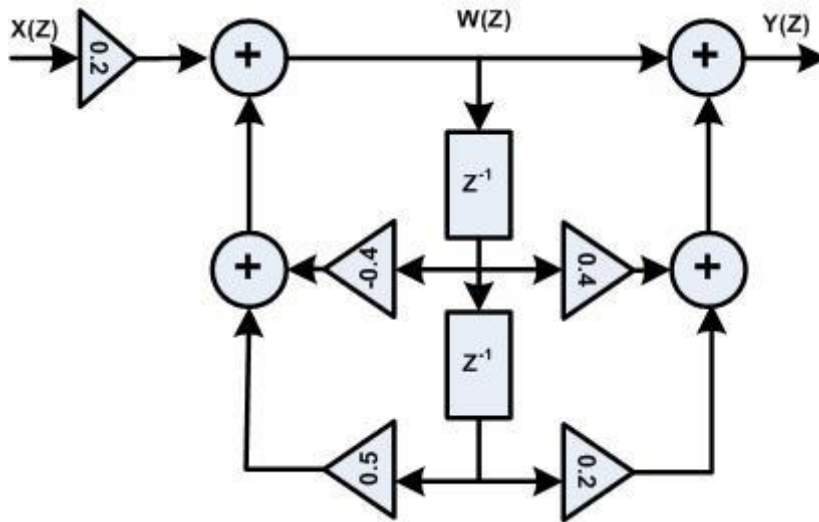
$$y(n) = 0.159 x(n) + 0.225 x(n-1) + 0.25 x(n-2) + 0.225 x(n-3) + 0.159 x(n-4).$$

[CO3, BL4, PO4]

4) Why Gibbs oscillations are developed in rectangular window and how can it be eliminated or reduced? [CO3, BL2, PO2] (2)

A)

B) Estimate the transfer function for the following structure. [CO4, BL2, PO2] (3)



- C) Design a linear phase FIR bandpass filter to pass frequencies in the range 200 Hz and 400 Hz by taking 5 samples of Hamming window sequence (take sampling frequency= 1000 Hz) [CO3, BL6, PO4] (5)

- 5) For a given impulse response, draw the structure of linear phase FIR filter for N=11. (4)

A) 
$$h_d(n) = \sin \frac{(0.3\pi(n-5))}{(n-5)\pi} - \sin \frac{(0.6\pi(n-5))}{(n-5)\pi}$$
 . [CO4, BL3, PO3]

- B) Draw the cascaded structure for the following transform function and mention its advantages. (3)

$$H(z) = \frac{1 - \frac{1}{2}z^{-1}}{1 - \frac{7}{8}z^{-1} + \frac{3}{32}z^{-2}}$$
 [CO4, BL3, PO3]

- C) Illustrate various key phases required to process audio signal and explain. [CO5, BL4, PO4] (3)

-----End-----