

# Question Paper

Exam Date & Time: 09-May-2024 (02:30 PM - 05:30 PM)



## MANIPAL ACADEMY OF HIGHER EDUCATION

FOURTH SEMESTER B.TECH. (ELECTRONICS AND COMMUNICATION ENGINEERING) DEGREE EXAMINATIONS -  
APRIL / MAY 2024  
SUBJECT: ECE 2225/ECE\_2225 - MODERN CONTROL THEORY

Marks: 50

Duration: 180 mins.

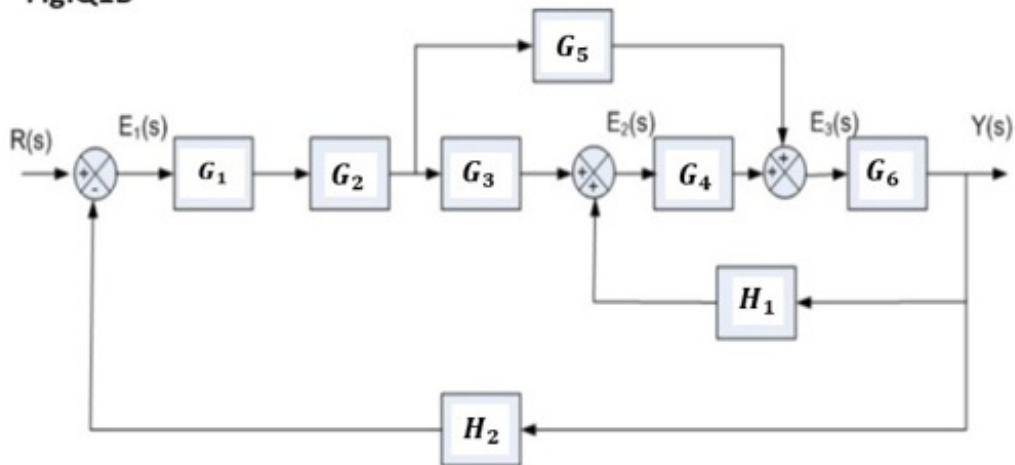
Answer all the questions.

Missing data may be suitably assumed.

- 1A) The open loop transfer function of a unity feedback system is given by (5)  
$$G(s) = \frac{K}{(s+2)(s^2+2s+2)}$$
 Sketch the root locus of the system.

- 1B) Modify the block diagram shown in Fig.Q1B and develop the closed loop transfer function using (3)  
block diagram reduction techniques.

Fig.Q1B



- 1C) When the system shown in Fig. Q1C. (a) is subjected to a unit-step input, the system output (2)  
responds as shown in Fig.Q1C (b). Determine the values of  $K$  and  $T$  from the response curve.

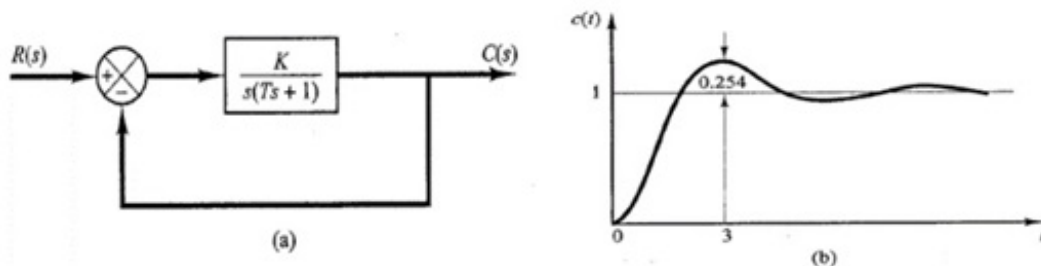


Fig.Q1C

- 2A) Identify the differential equations governing the mechanical behaviour of the system shown in (5)  
Fig.Q2A. Draw the FI and FV analogous circuits along with mesh and node equations.

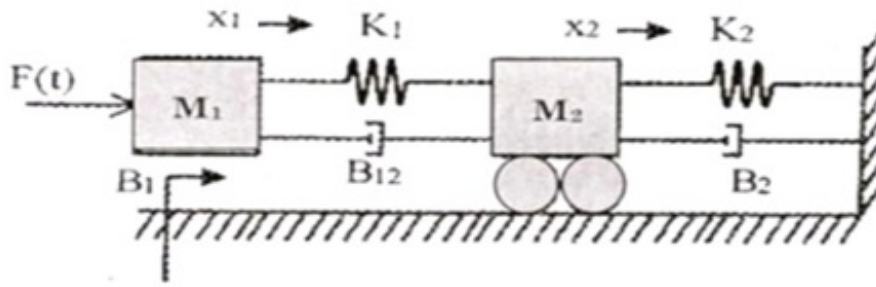


Fig.Q2A

- 2B) A unit- step response test conducted on a second order system yielded peak overshoot,  $M_p=0.12$ , (3)  
and peak time  $t_p=0.2s$ . Obtain the corresponding response indices,  $M_r$ ,  $\omega_r$ ,  $\omega_b$  for the system

- 2C) For a unity feedback control system with open loop transfer function,  $G(s) = \frac{10(s+2)}{s^2(s+1)}$  Find (2)

the steady state error when input

$$R(s) = \frac{3}{s} - \frac{2}{s^2}$$

- 3A) Determine the stability of a system with characteristic equation (5)  
 $S^6 + S^5 - 2S^4 - 3S^3 - 7S^2 - 4S - 4 = 0$  using Routh Hurwitz criteria

- 3B) Examine whether the system characterized by the system matrix (3)  
 $A = \begin{bmatrix} 1 & 0 & 2 \\ 0 & 2 & 1 \\ 0 & 0 & 3 \end{bmatrix}$  and the input matrix  $B = \begin{bmatrix} 1 \\ -1 \\ 1 \end{bmatrix}$  is controllable using

Kalman's method.

- 3C) For the system represented by the system matrix  $A = \begin{bmatrix} 0 & -1 \\ 2 & -3 \end{bmatrix}$ , determine the State (2)

Transition Matrix.

- 4A) Sketch the Bode plot for a unity feedback system with (5)  
and determine the value of K such that the

$$\text{OLTF } G(S)H(S) = \frac{K}{S(1+0.1S)(1+S)}$$

gain margin is 30dB

- 4B) OLTF of a system is given by  $G(S)H(S) = \frac{1}{1+TS}$  Show that there is a (3)

1dB difference between the asymptotic and the actual Bode magnitude plot at a frequency twice that of corner frequency.

- 4C) Derive an expression for the rise time of a second order underdamped system when subjected to a (2)  
unit step input

- 5A) Represent the circuit shown in Fig.Q5A in state space domain using physical variable form (5)  
considering

$$R_1=4k\Omega, R_2=4k\Omega, C_1=4mF, C_2=4mF, L=4mH$$

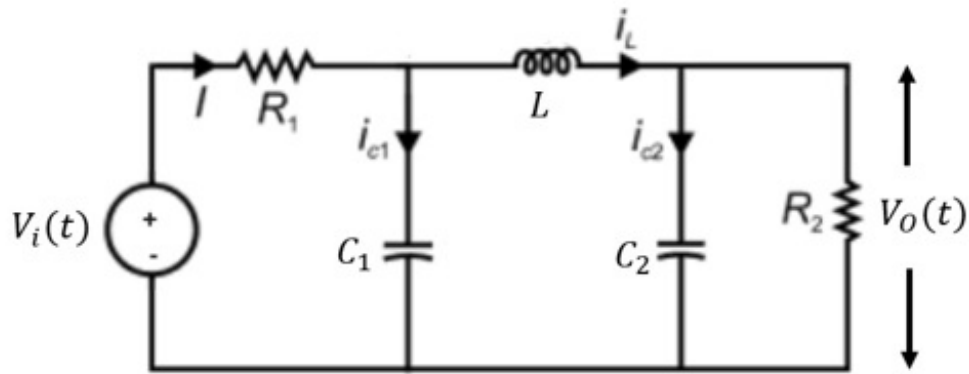


Fig Q5A

- 5B) A PD controller is cascaded to the forward path of a unity feedback system with plant transfer function  $G_P(S) = \frac{K}{S(1+\tau S)}$  as shown below. Derive an expression for steady state error (3)

$$G_P(S) = \frac{K}{S(1+\tau S)}$$

when unit ramp input is applied. Also, express damping ratio in terms of the system parameters.

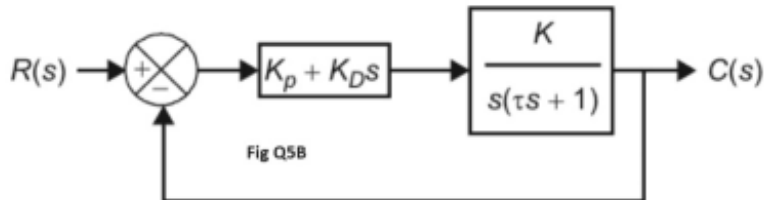


Fig Q5B

- 5C) Circuit of a Phase-Lead Compensator is shown in (2)

Identify the Fig. Q5C where  $R_1=2k\Omega$   $R_2=3k\Omega$  and  $C= 100\mu F$ .

frequency where the maximum phase lead occurs. Also, calculate the max phase angle contributed by the Lead network.

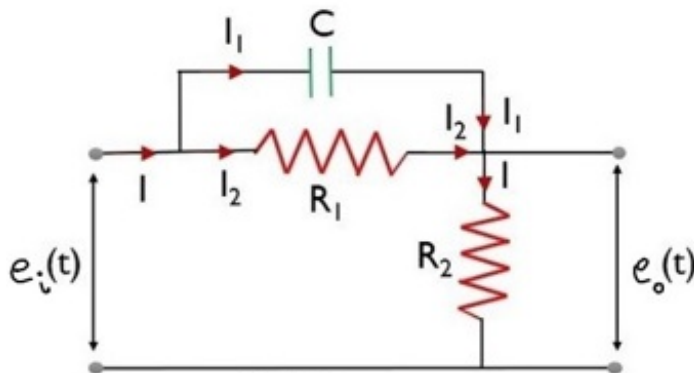


Fig Q5C

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