

# Question Paper

Exam Date & Time: 18-Jun-2024 (02:30 PM - 05:30 PM)



## MANIPAL ACADEMY OF HIGHER EDUCATION

Sixth Semester B.TECH End Sem Makeup Exam June 2024

**DIGITAL SIGNAL PROCESSING [ICE 3251]**

**Marks: 50**

**Duration: 180 mins.**

**A**

**Answer all the questions.**

Instructions to Candidates:

Missing data may be suitably assumed.

- 1) Design high pass Butterworth IIR filter using bilinear transform in Z domain having the following specifications: (5)

- A)
- i) Passband gain of 0.707 at  $0.65\pi$  rad/sample,
  - ii) Stopband gain of 0.2 at  $0.45\pi$  rad/sample,
  - iii) Sampling time of 0.5 s.

[CO3, PO1-5, PO12, BL4]

- B) Evaluate if the system  $y(n) = \sin(x^2(n))$  is (3)

i) memoryless, ii) time invariant, iii) linear? Justify your answer.

[CO1, PO1-5, PO12, BL2]

- C) Compute 4 point DFT of sequence  $x(n) = \{1, 2, 1, 2\}$  using linear transformation i.e. DFT matrix multiplication method. (2)

[CO2, PO1-5, PO12, BL2]

- 2) Realize the IIR filter transfer function using direct form I and II. (5)

A)

$$H(z) = \frac{Y(z)}{X(z)} = \frac{0.4411 - 0.8822z^{-1} + 0.4411z^{-2}}{1 - 0.5407z^{-1} + 0.2237z^{-2}}$$

[CO3, PO1-5, PO12, BL3]

- B) Evaluate the cross correlation of the given sequences using any two methods. (3)

$$x_1(n) = \{1, 3, 2, 4\} \text{ and } x_2(n) = \{1, 3, 1, 3\}$$

[CO1, PO1-5, PO12, BL2]

- C) Partition the given sequence  $x(n) = \{1, -1, 2, -2, 3, -3, 4, -4\}$  into sections for (2)

performing linear convolution with  $h(n) = \{-1, 1\}$  using overlap save method 1. Explain

in brief.

[CO2, PO1-5, PO12, BL3]

- 3) Evaluate and sketch the frequency response of the FIR filter having impulse response as  $h(n)$  by (5)  
A) taking digital frequencies in multiple of  $\pi/8$  in  $[0, 2\pi]$ . What is the type of filter?

$$h(n) = \{0, -0.0556, -0.0143, 0.25, -0.0143, -0.0556, 0\}$$

[CO4, PO1-5, PO12, BL4]

- B) Compute  $x(n)$  for  $n = 0, 1, 2, 3, 4$  using any one method for the following Z transform (3)

$$X(z) = \frac{5 + 2z^{-1}}{1 + 4z^{-1} + 3z^{-2}}$$

[CO1, PO1-5, PO12, BL3]

- C) Illustrate difference between type 1 and type 2 low pass Chebyshev filter. (2)

[CO3, PO1-5, PO12, BL2]

- 4) Compute coefficients of a linear phase symmetric FIR filter of length  $N=7$  and frequency response as follows: (5)

A)

$$H\left(\frac{2\pi k}{7}\right) = \begin{cases} 1 & k = 0, 1 \\ 0.4 & \text{for } k = 2 \\ 0 & k = 3 \end{cases}$$

Realize the filter.

[CO4, PO1-5, PO12, BL4]

- B) Compute 4 point FFT of  $x(n) = \{1, 1, -2, -2\}$  using both DIT-FFT and DIF-FFT (3)  
algorithms.

[CO2, PO1-5, PO12, BL3]

- C) Compute the poles of a low pass Butterworth IIR filter having order  $N=4$  and sketch them in Z (2)  
plane.

[CO3, PO1-5, PO12, BL2]

- 5) Compute transfer function of a linear phase FIR band pass filter to pass frequencies in the range (5)  
 $0.4\pi$  to  $0.65\pi$  rad/sample by taking seven samples of Hamming window sequence.

A) [CO4, PO1-5, PO12, BL2]

- B) Analyse and synthesize working of digital vocoder. Explain with block diagrams. (3)

[CO5, PO1-7, PO12, BL2]

- C) Compute and sketch rectangular window and Bartlett / triangular window sequence. (2)

[CO4, PO1-5, PO12, BL2]

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